

Quantum Machine Learning: Prospects and challenges

Iordanis Kerenidis

iordanis.kerenidis@qcware.com



Why Quantum Machine Learning?

Why Quantum?



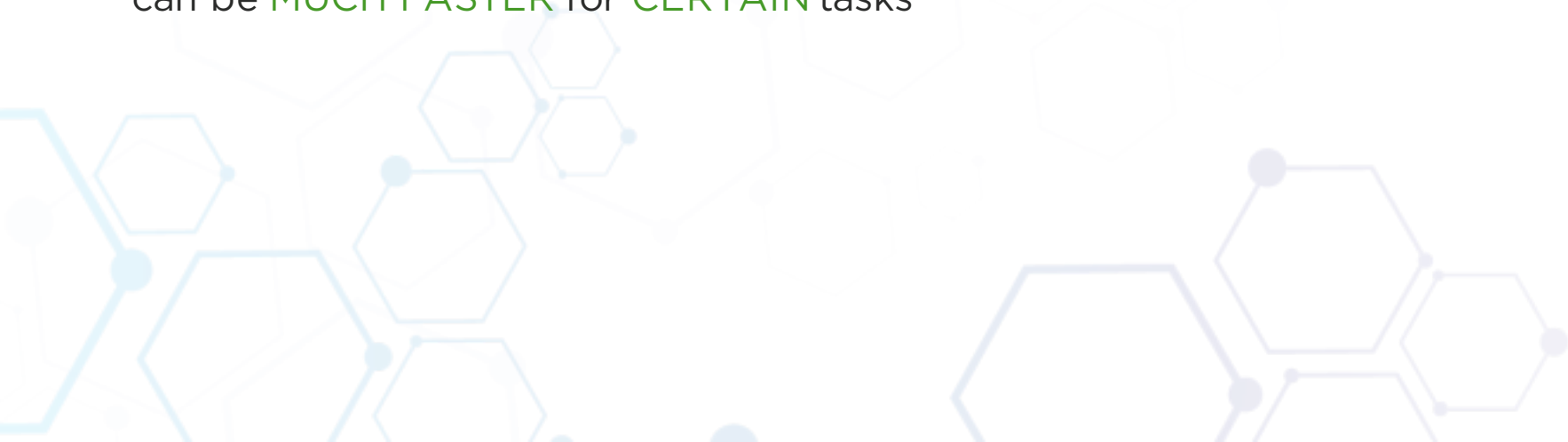
Why Quantum?

- Quantum is **NOT** a faster processor



Why Quantum?

- Quantum is **NOT** a faster processor
- Quantum is a fundamentally **DIFFERENT** way of performing computation that can be **MUCH FASTER** for **CERTAIN** tasks



Why Quantum?

- Quantum is **NOT** a faster processor
- Quantum is a fundamentally **DIFFERENT** way of performing computation that can be **MUCH FASTER** for **CERTAIN** tasks
- Quantum computing will NOT replace classical computing, but we expect it to remove certain bottlenecks and open the way to new applications

Why Quantum?

- Quantum is **NOT** a faster processor
- Quantum is a fundamentally **DIFFERENT** way of performing computation that can be **MUCH FASTER** for **CERTAIN** tasks
- Quantum computing will NOT replace classical computing, but we expect it to remove certain bottlenecks and open the way to new applications
- We need to rethink and invent new algorithmic solutions

Why Quantum Machine Learning?



Why Quantum Machine Learning?

- We KNOW large quantum computers can offer provable theoretical advantages
 - Classification, Rec. Systems, q-means, Boosting, Exp-Max, etc. [ICML, NeurIPS, ICLR]



Why Quantum Machine Learning?

- We KNOW large quantum computers can offer provable theoretical advantages
 - Classification, Rec. Systems, q-means, Boosting, Exp-Max, etc. [ICML, NeurIPS, ICLR]
- We HAVE concrete avenues for bringing QML closer to reality
 - Reducing resource requirements of impactful QML algorithms
 - Proposing new QML specific hardware architectures for overcoming bottlenecks
 - “Noisy” calculations can be handled by ML algorithms

Why Quantum Machine Learning?

- We KNOW large quantum computers can offer provable theoretical advantages
 - Classification, Rec. Systems, q-means, Boosting, Exp-Max, etc. [ICML, NeurIPS, ICLR]
- We HAVE concrete avenues for bringing QML closer to reality
 - Reducing resource requirements of impactful QML algorithms
 - Proposing new QML specific hardware architectures for overcoming bottlenecks
 - “Noisy” calculations can be handled by ML algorithms
- Powerful and very subtle quantum tools for ML

Why Quantum Machine Learning?

- We KNOW large quantum computers can offer provable theoretical advantages
 - Classification, Rec. Systems, q-means, Boosting, Exp-Max, etc. [ICML, NeurIPS, ICLR]
- We HAVE concrete avenues for bringing QML closer to reality
 - Reducing resource requirements of impactful QML algorithms
 - Proposing new QML specific hardware architectures for overcoming bottlenecks
 - “Noisy” calculations can be handled by ML algorithms
- Powerful and very subtle quantum tools for ML
- QML may offer: Efficiency, Accuracy, Interpretability, Trust, Energy savings

Quantum Tools for ML

Quantum Toolbox

1. Quantum Distance Estimators [[arXiv:1401.2142](#), [:1805.08837](#), [:1812.03584](#)]

We can efficiently estimate distances between quantum states/data points.



Quantum Toolbox

1. **Quantum Distance Estimators** [[arXiv:1401.2142](#), [:1805.08837](#), [:1812.03584](#)]
We can efficiently estimate distances between quantum states/data points.
2. **Quantum Dimensionality Reduction techniques**
 - Principal Component Analysis [[Lloyd, Mohseni, Rebentrost 13](#)]
 - Linear Discriminant Analysis [[Cong, Duan 15](#)]
 - Slow Feature Analysis [[Kerenidis, Luongo 18](#)]

Quantum Toolbox

1. Quantum Distance Estimators [[arXiv:1401.2142](#), [:1805.08837](#), [:1812.03584](#)]

We can efficiently estimate distances between quantum states/data points.

2. Quantum Dimensionality Reduction techniques

- Principal Component Analysis [[Lloyd, Mohseni, Rebentrost 13](#)]
- Linear Discriminant Analysis [[Cong, Duan 15](#)]
- Slow Feature Analysis [[Kerenidis, Luongo 18](#)]

3. Quantum Linear Algebra

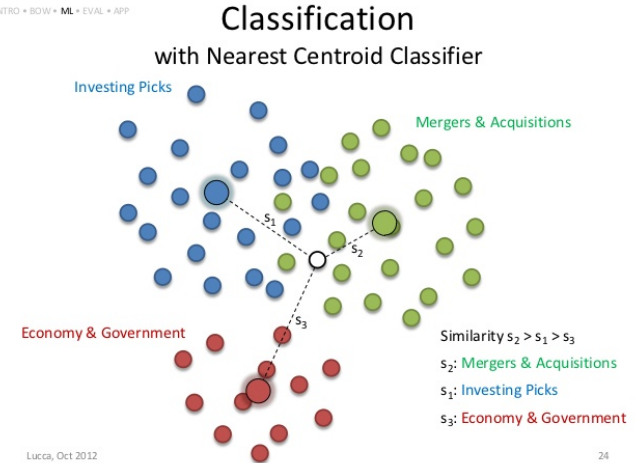
- Gradients (applications in NN training, linear regression, etc.)
- Linear Systems [[Harrow, Hassidim, Lloyd 09](#), [GSLW 19](#)]

Supervised Learning

Classification

- Distance-based classification
 - k-Nearest Neighbors, Nearest Centroids
- Support Vector Machines
 - [RML 2013, Kerenidis,Prakash,Szilagyι 2019]
- Quantum Neural Networks
 - FF NN, Convolutional NN, Variational circuits, ...

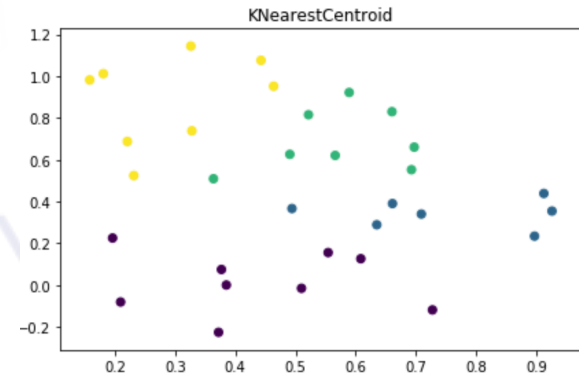
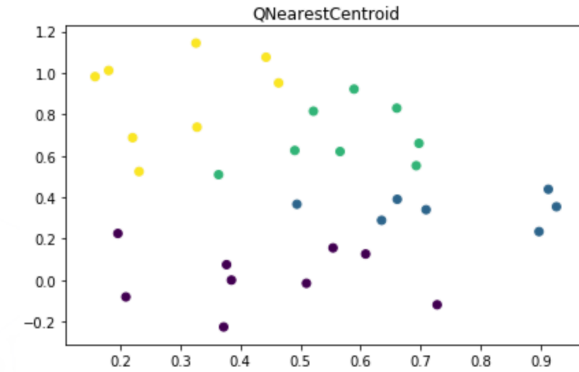
PART I • PART II
INTRO • BOW • ML • EVAL • APP



Classification - QNearestCentroid

Nearest Centroid Classifier

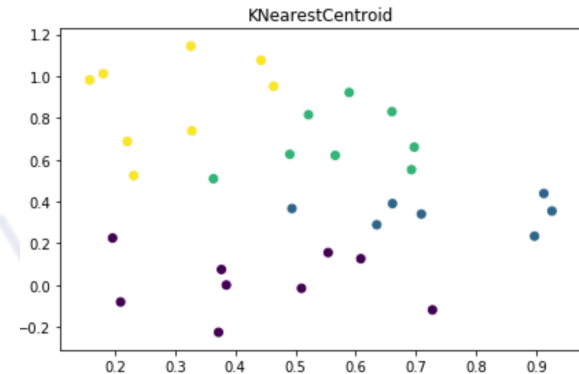
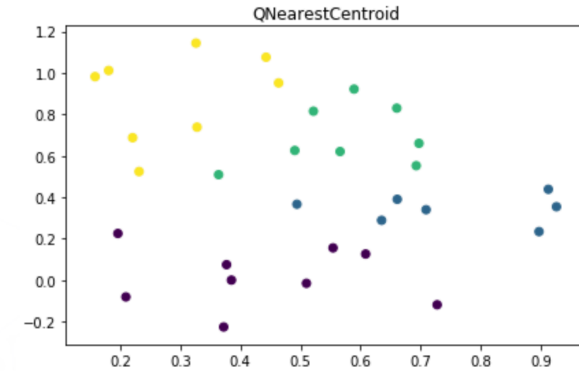
- Fit your model
 - Find centroids of each class of training data
- Predict labels of new data
 - Compute distance classically of new data to centroids
 - Assign the label of the nearest centroid



Classification - QNearestCentroid

Nearest Centroid Classifier

- Fit your model
 - Find centroids of each class of training data
- Predict labels of new data
 - Compute distance **quantumly** of new data to centroids
 - Assign the label of the nearest centroid



Classification - QNearestCentroid

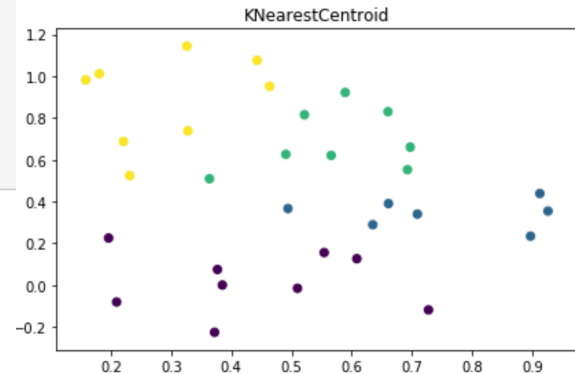
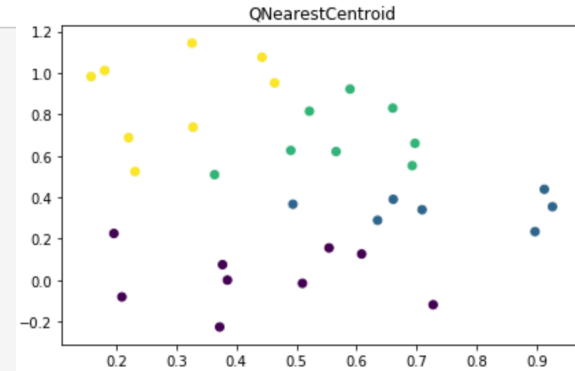
```
# let's create some synthetic data
X, y = generate_data_clusters()

# let's run the quantum classifier
qlabels = fit_and_predict(X,y=y,model='QNearestCentroid')

#import NearestCentroid from scikit-learn for benchmarking
clabels = sklearn.neighbors.NearestCentroid().fit(X,y).predict(X)

print('Quantum labels\n',qlabels)
print('Classical labels\n',clabels)

# let's plot the data (only for dimension=2)
plot(X,qlabels,'QNearestCentroid')
plot(X,clabels,'KNearestCentroid')
```



Quantum labels

[2 0 0 1 0 0 0 0 1 1 2 0 1 1 0 1 2 3 2 1 2 2 2 3 3 3 3 3 0 3 3 2]

Classical labels

[2 0 0 1 0 0 0 0 1 1 2 0 1 1 0 1 2 3 2 1 2 2 2 3 3 3 3 3 0 3 3 2]

Recommendation Systems [Kerenidis, Prakash, ITCS 17]

amazon

Step 1

Products

?	1	...	?
?	0	...	?
...
1	?	...	0

Users

Step 2

Singular Value Estimation

$$W = U S V^T$$

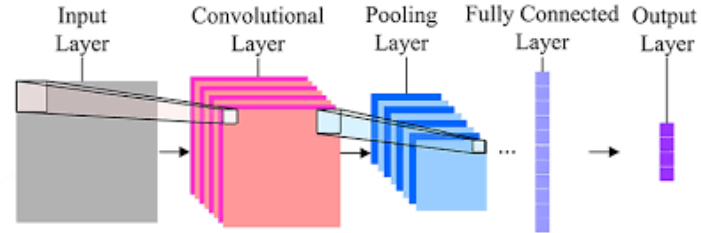
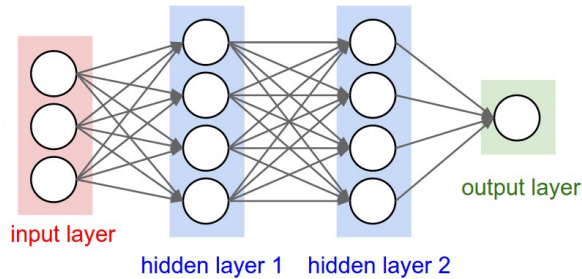
The diagram shows a matrix equation $W = U S V^T$. Matrix W is a square matrix. Matrix U is a square matrix with a shaded $k \times k$ submatrix. Matrix S is a square matrix with a shaded $k \times k$ submatrix. Matrix V^T is a square matrix with a shaded $k \times k$ submatrix. A bracket on the right indicates that the shaded submatrices are of size k .

Step 3

Quantum computers provide competitive recommendations fast!

Efficient quantum algorithm for Singular Value Estimation

Quantum Neural Networks



Accuracy/Convergence : at least as good as classical Neural Nets

Running time: gains from IP estimation for training and evaluation

[Allcock, Hsieh, Kerenidis, Zhang 19], [Kerenidis, Landman, Prakash ICLR 20]

Main challenge: Define QNNs with provable guarantees

Unsupervised Learning

Clustering

k-means++

Input: N points in d-dimensions

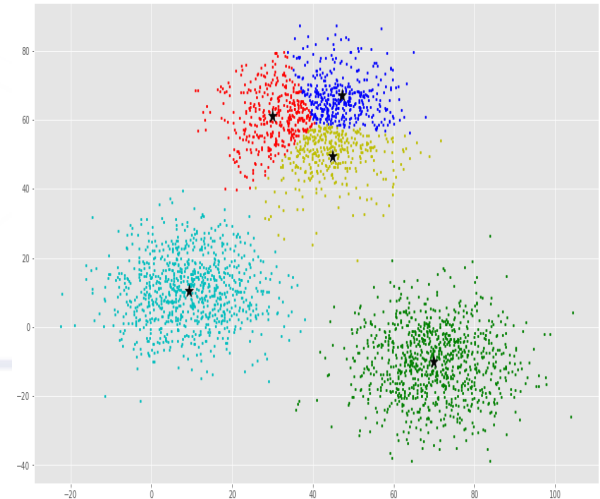
Output: K clusters/centroids

1. Start with some initial centroids (e.g. ++-method)

Repeat until convergence

2. For each point
estimate distances to centroids
and assign to nearest centroid

3. Update the centroids



Clustering

q-means++ [Kerenidis, Landman, Luongo, Prakash NeurIPS 2019]

Input: N points in d-dimensions (**quantum access**)

Output: K clusters/centroids

1. Start with some initial centroids (e.g. +-method)

Repeat until convergence

2. For all points in superposition

estimate distances to centroids **quantumly**
and assign to nearest centroid

3. Update the centroids

i. Quantum linear algebra to find new centroid

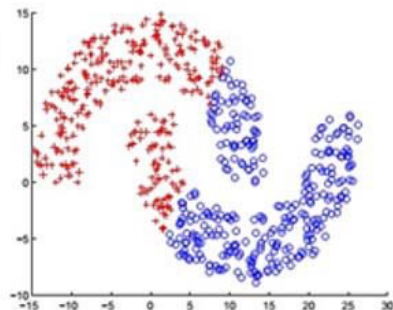
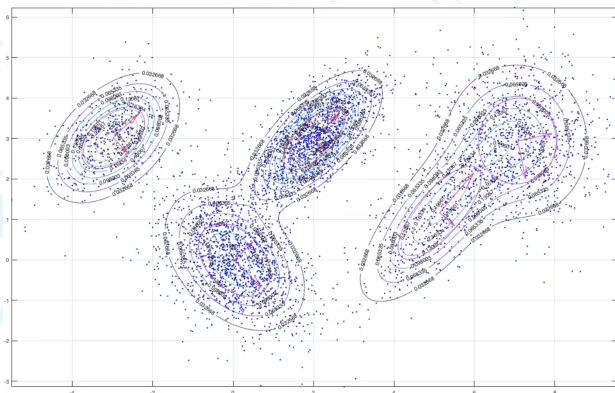
ii. Tomography to recover classical description



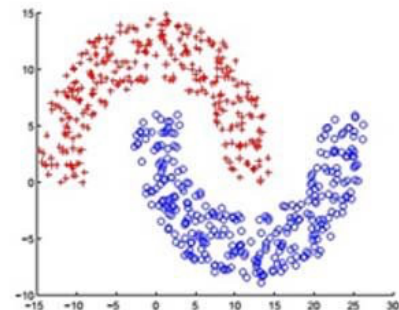
Clustering

Extensions

- Expectation Maximization for Gaussian Mixture Models [Kerenidis,Luongo,Prakash ICML 2020]
- Spectral Clustering [Kerenidis,Landman 2020]



(a) K-means



(b) Spectral Clustering

Reinforcement Learning

Reinforcement Learning

Quantum Policy Iteration [Cherrat,Kerenidis,Prakash 2020]

Input: states S , actions A , transitions P , Rewards R

Output: policy π

1. Start with some initial π_0

Repeat until convergence

2. solve $(I - \gamma P^\pi)Q = R$ **quantum linear systems**

3. update π from Q **by measurements**

Remarks

“No input” / Well-conditioned / ℓ^∞ guarantees



Conclusions

Prospects - Challenges

- Powerful yet subtle quantum tools

Power: Linear Algebra, Distance Estimations, Expectations, etc.

Subtleties: Input, Output, running time parameters



Prospects - Challenges

- Powerful yet subtle quantum tools

Power: Linear Algebra, Distance Estimations, Expectations, etc.

Subtleties: Input, Output, running time parameters

- Promising directions

- Heavy Linear Algebra (Dim. Reduction, SVM, Spectral Clustering)
- Reinforcement Learning (efficient data, well-conditioned systems, ℓ^∞ approx)
- Quantum Neural Networks

Prospects - Challenges

- Powerful yet subtle quantum tools

Power: Linear Algebra, Distance Estimations, Expectations, etc.

Subtleties: Input, Output, running time parameters

- Promising directions

- Heavy Linear Algebra (Dim. Reduction, SVM, Spectral Clustering)

- Reinforcement Learning (efficient data, well-conditioned systems, ℓ^∞ approx)

- Quantum Neural Networks

- Final remarks

- ML is about practical solutions to real-world problems.

- QML applications is a formidable challenge, but certainly worth pursuing



Thank you!

Iordanis Kerenidis

jkeren@irif.fr, iordanis.kerenidis@qcware.com

